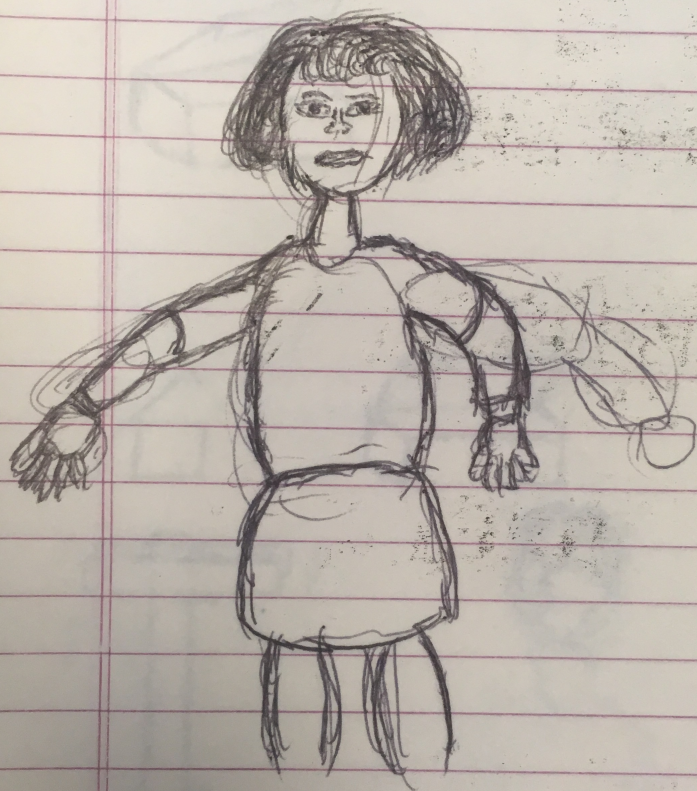


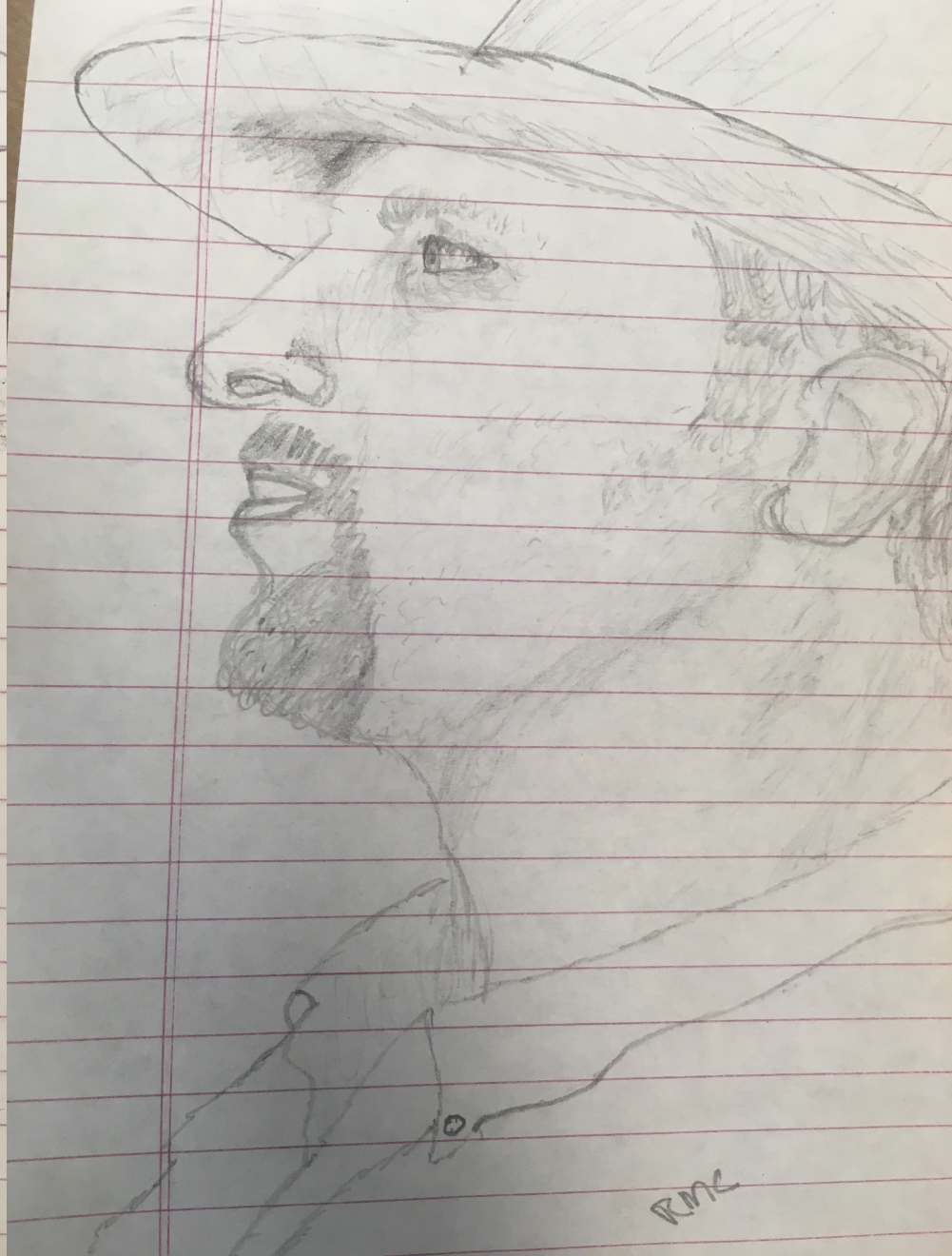
# Finding structure in large datasets of particle distribution functions using unsupervised machine learning

R.M. Churchill  
C.S. Chang, S. Ku





DRAW WHAT YOU SEE &  
NOT WHAT YOU KNOW!  
REMEMBER OBJECTS



# Unsupervised Machine Learning

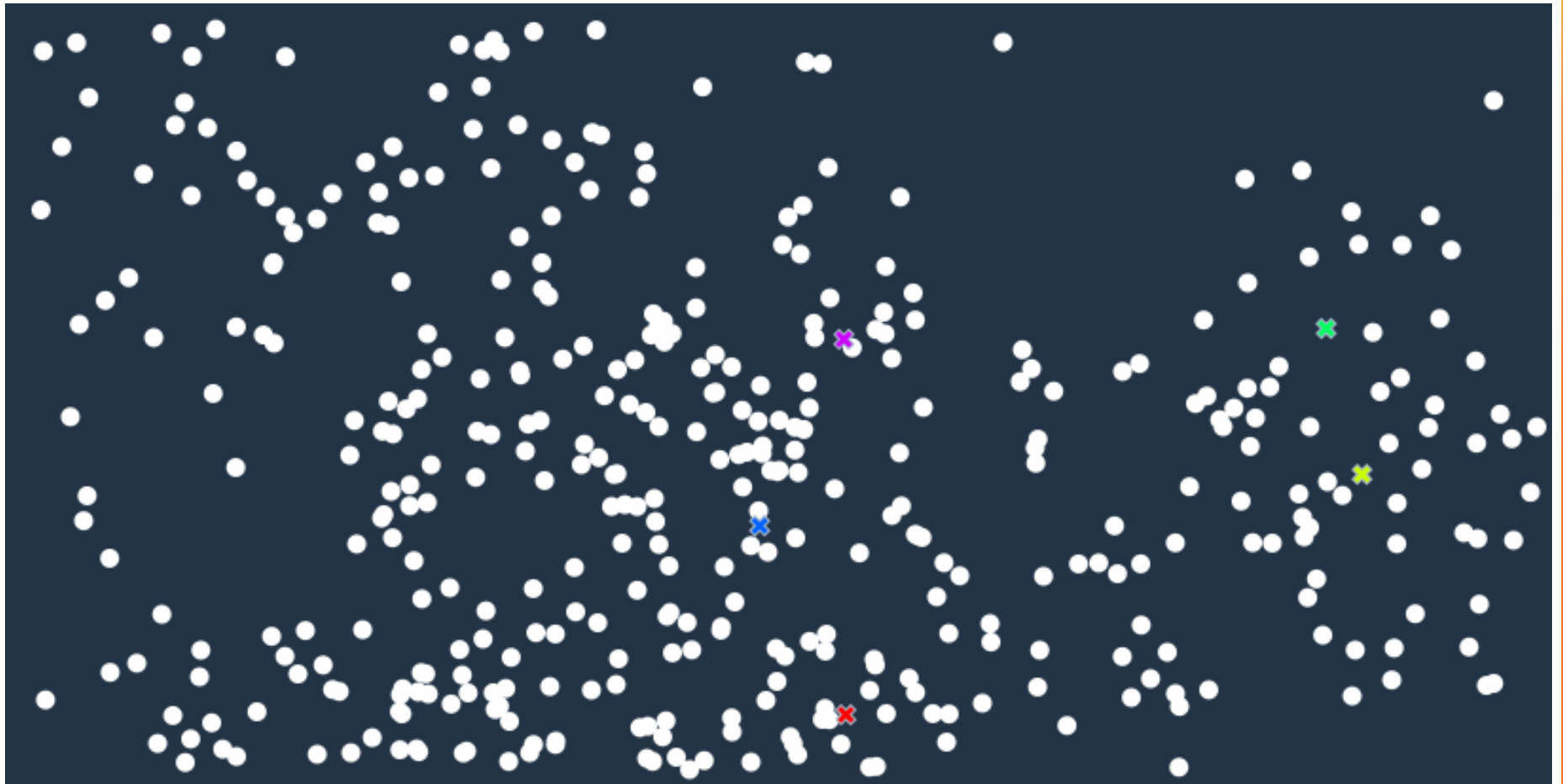
- Allows finding hidden structure in large data sets with little or no apriori knowledge
- A lot of focus on “supervised” machine learning, i.e. learning using labeled data



unsupervised learning “next frontier” [LeCunn 2016]

- Examples include:
  - Clustering (K-means, Gaussian Mixture Models, hierarchical, )
  - Dimensionality reduction (PCA, ICA, T-SNE)
  - Neural networks (autoencoders, adversarial networks)

# K-means clustering

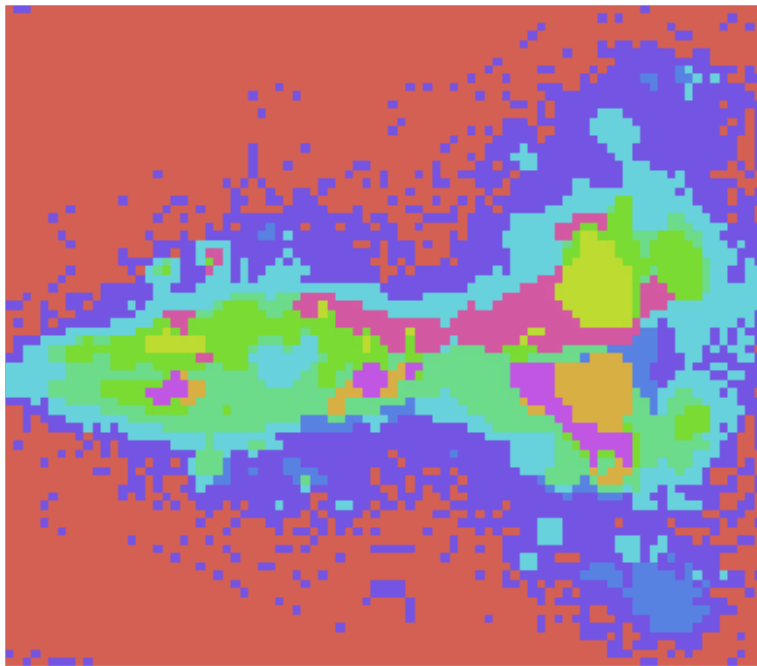




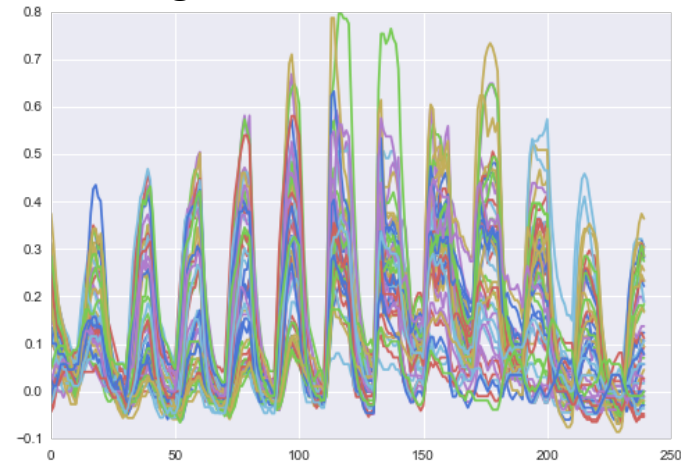
# Example series k-means clustering from neuroscience



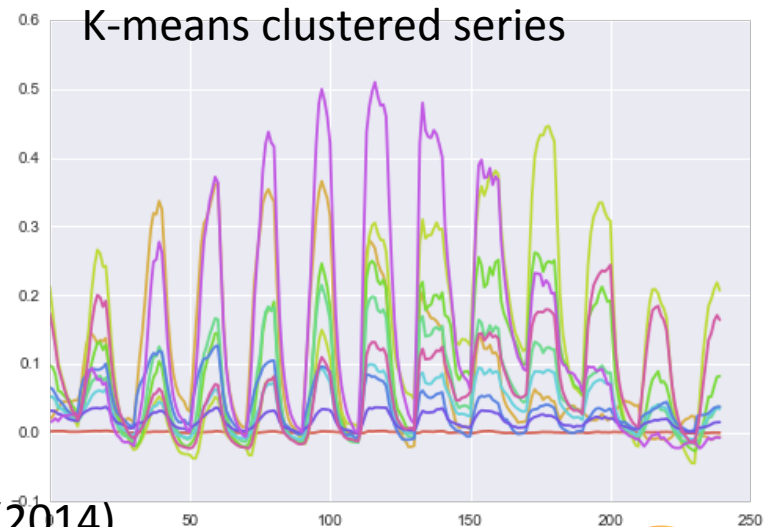
Detect neurons with time-series which have high correlations



Original data series



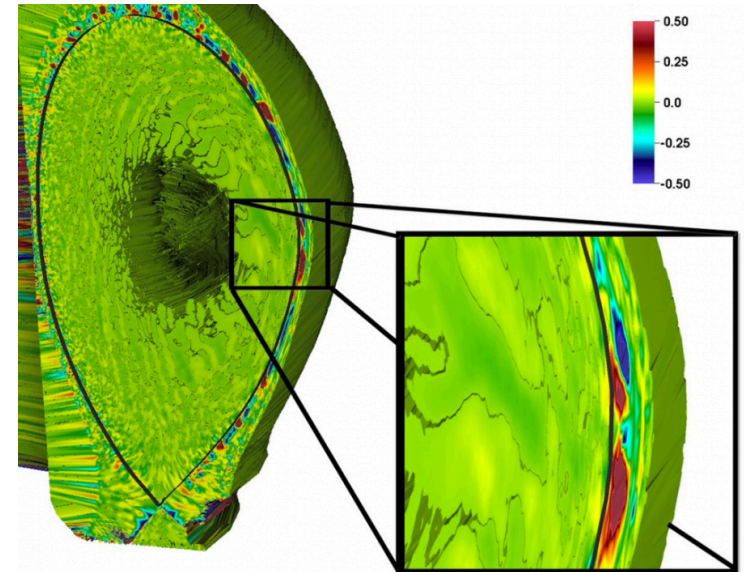
K-means clustered series



Freeman, Nature Methods 11, 941–950 (2014)

# XGC1

- Full-f, gyrokinetic turbulence code focused on the edge (pedestal + SOL):
  - Neutrals, collisions, sheath physics, etc.
- Massively parallel, requires 100M+ CPU hours (HPC)
- Generates TB's of data per simulation



**How to extract useful information?**  
**Natural candidate for unsupervised machine learning**

# Apache Spark + Thunder: Image and time series distributed computing streamlined



**thunder**



## PROS

- Distributed computing, easily scale up analysis
- Simple interface, Python bindings
- Resiliency
- Available on NERSC
- Machine learning libraries (MLlib) optimal for parallel processing

## CONS

- Networking slower than MPI
- Complex communication patterns are difficult to implement (better for embarrassingly parallel)
- Learning curve

# Spark code, reading of scientific data



- Read data in batches from parallel file system, split in-place for individual records
- Single node (22 cores) gave data reading scaling of 1 GB/s up to 33 GB
- Machine learning algorithm syntax simple, similar to scikit-learn, but Spark allows scaling

```
import adios as ad
import numpy as np
from pyspark.mllib.clustering import
BisectingKMeans

def read(ind):
    f = ad.file('/path/to/file')
    data = f['data_name'][:,ind[0]:ind[-1]+1,:]
    f.close()
    return data

def split(data):
    for d in np.rollaxis(data,1):
        yield d

Nnodes = 10
NcoresPerNode = 22
Nparts = Nnodes*NcoresPerNode*4
indices = np.array_split(np.arange(0,Nrecords),Nparts)

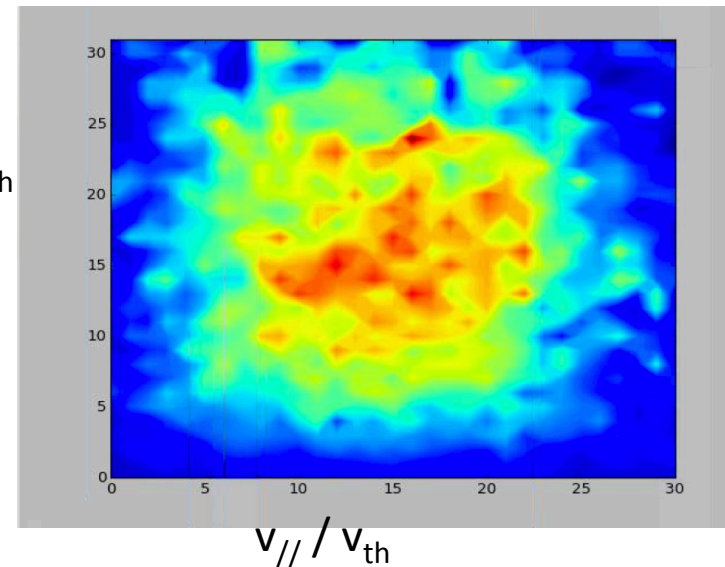
rdd1 = sc.parallelize(indices,Nparts)
rdd2 = rdd1.map(lambda v: read(v))
rdd3 = rdd2.flatMap(lambda v: split(v))

model = BisectingKMeans.train(rdd3, k=6)
```



# Coherent phase space structures (blobs, holes, clumps, etc.)

- Various opinions on importance/long-term existence of phase space structures in strong turbulence [Dupree *Phys Fluids* 1972, Krommes PoP 1997, Kosuga NF 2017]

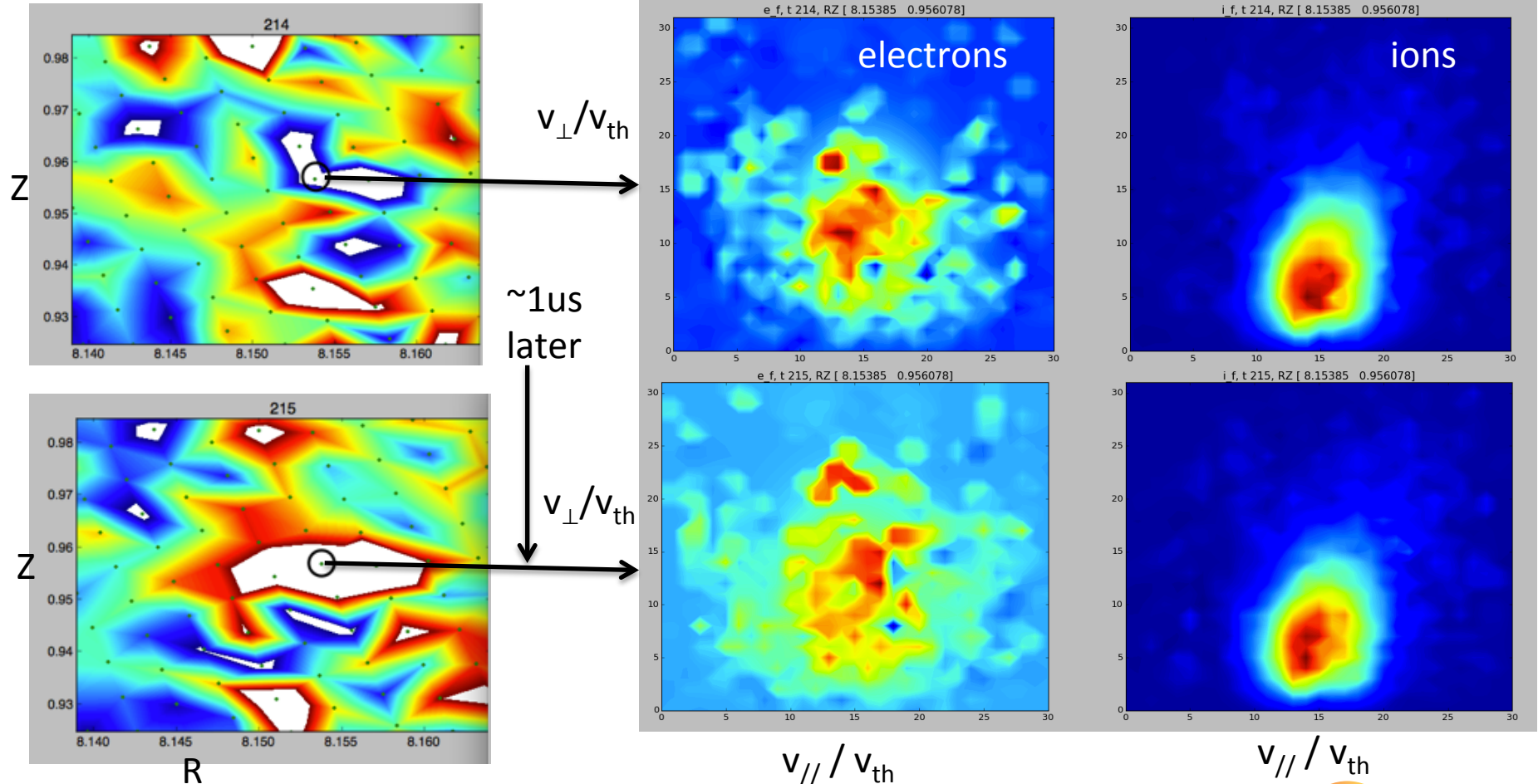


- Investigating single PDF from simulation can be misleading due to noise
- Apply K-means clustering to determine regions in velocity space which correlate well

# Spark Motivation - can we find common signatures in velocity space?

Density fluctuations

Distribution functions

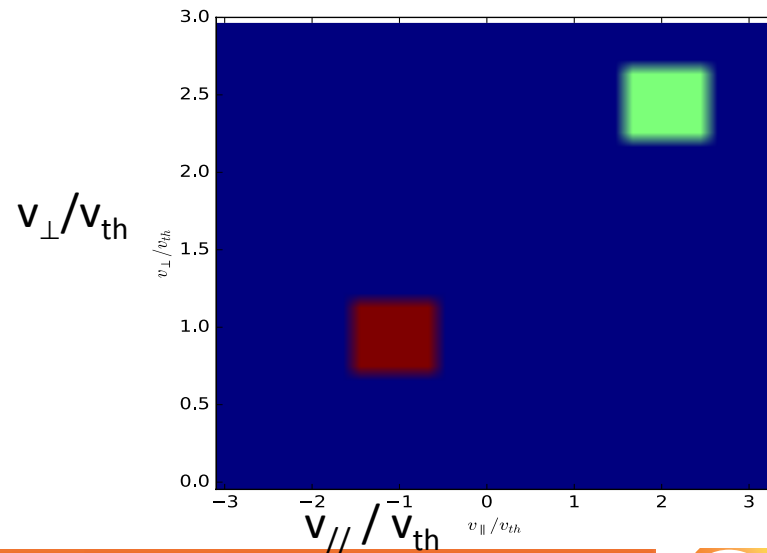
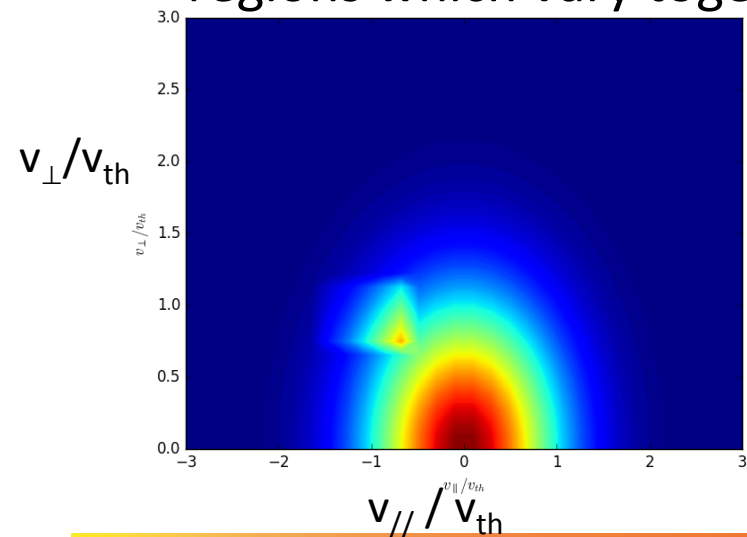


# Synthetic data created to test k-means clustering with plasma distribution functions

- Maxwellian distribution function, with two square regions of velocity space with sinusoidal modulation:

$$\begin{cases} \cos(2\pi x) & -1.4 < v_{\parallel}/v_{th} < -0.5, \quad 0.75 < v_{\perp}/v_{th} < 1.22, \\ \cos(5\pi x) & 1.6 < v_{\parallel}/v_{th} < 2.6, \quad 2.25 < v_{\perp}/v_{th} < 2.72 \end{cases}$$

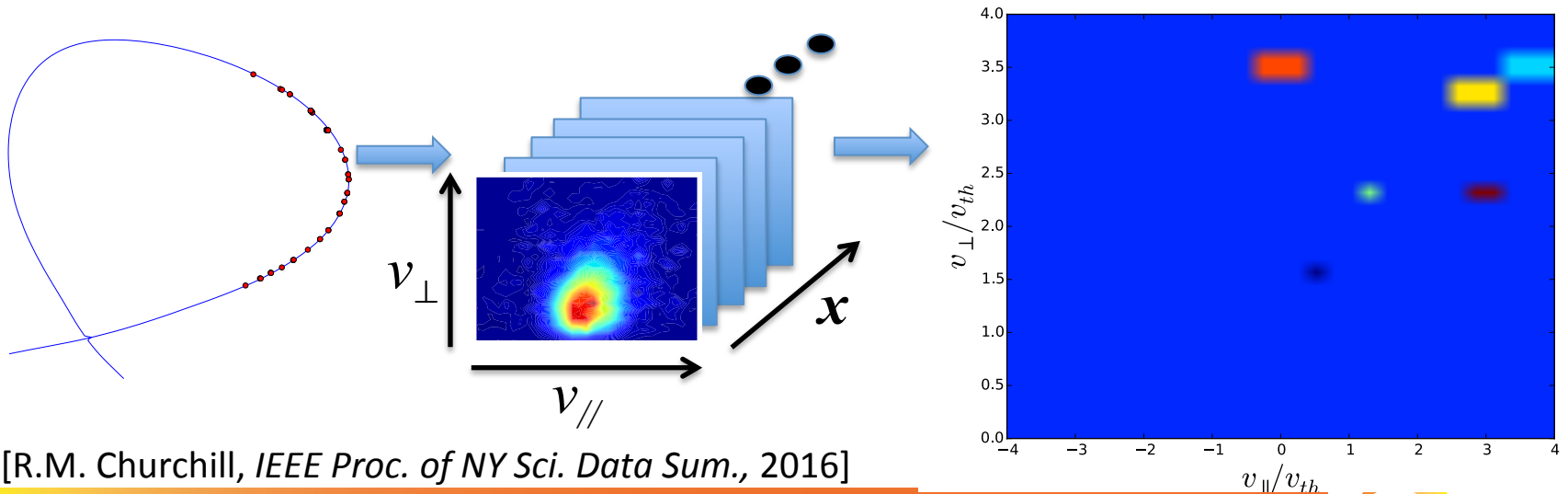
- K-means clustering with  $k=3$  correctly separates the velocity space regions which vary together



# Bisecting K-means finds no direct structure in full edge region



- XGC1 distribution function set from ITER simulation, 500 GB/time step (only subset from single time-slice used, covering full pedestal edge region,  $32 \times 31 \times \sim 8\text{M} = \sim 60\text{GB}$ )
- Bisecting K-means algorithm avoids issue of cluster initialization leading to local minima [Steinbach, 2000]
- Returned clusters noise based, subsequent runs change clusters found

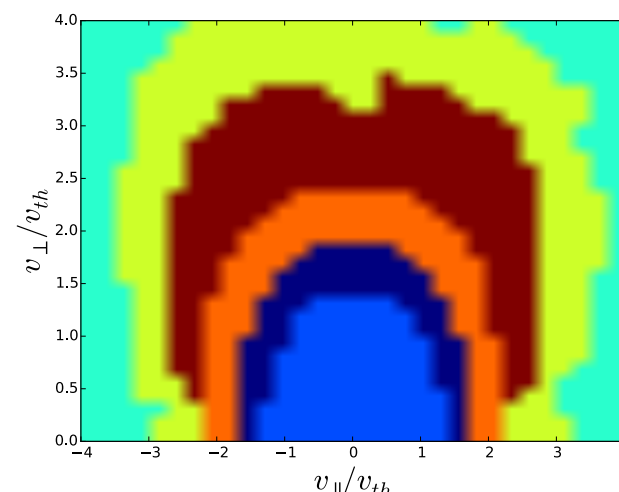
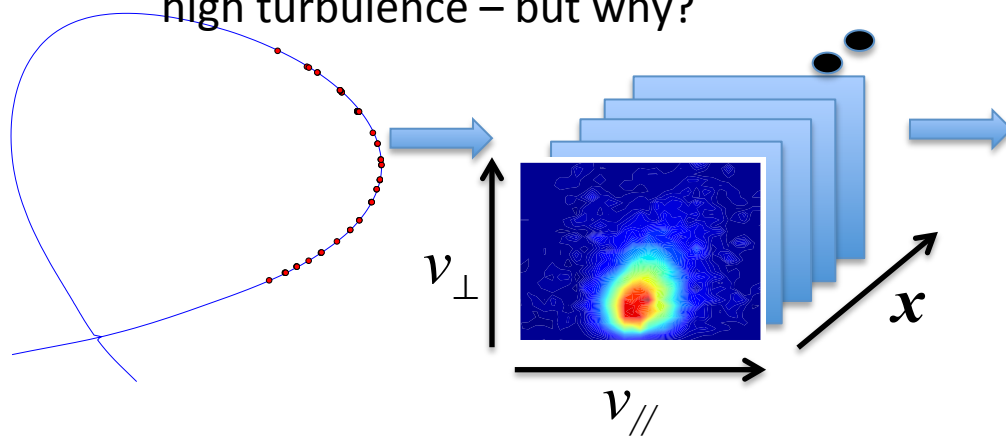




# Bisecting K-means finds ring-like structure in turbulent spatial regions



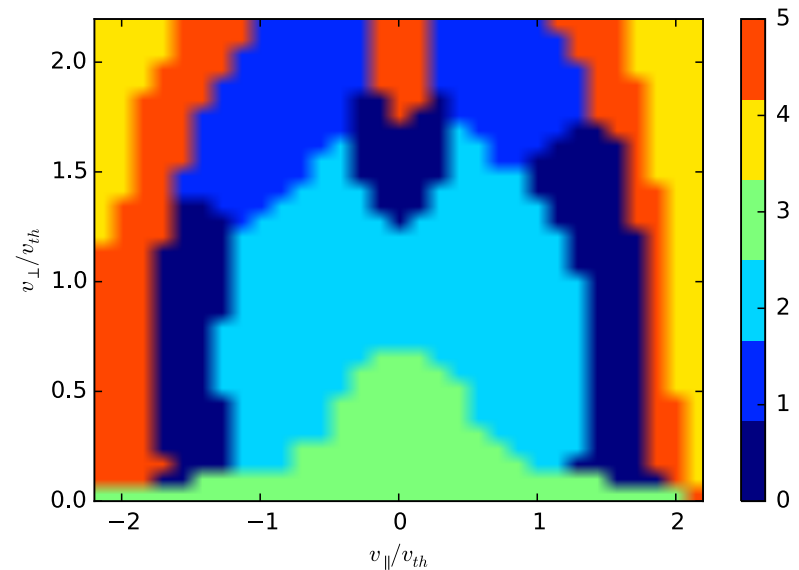
- XGC1 distribution function set from ITER simulation, 500 GB/time step (only subset from single time-slice used, covering only high turbulence regions in pedestal/SOL,  $32 \times 31 \times \sim 60k = \sim 450\text{MB}$ )
- Bisecting K-means algorithm avoids issue of cluster initialization leading to local minima [Steinbach, 2000]
- Electron distribution function shows ring-like structure in spatial regions of high turbulence – but why?



[R.M. Churchill, *IEEE Proc. of NY Sci. Data Sum.*, 2016]

# K-means clustering after matching velocity space grid reveals more variable structure

- Renormalize all v-space grids onto same normalized grid
- Rerunning K-means clustering reveals more intricate structure
  - High energies ( $E > E_{th}$ ) show break near trapped/passing boundary



# Summary

- Unsupervised machine learning can be used to search for structure in large data sets
- Apache Spark provides a simplified framework for distributed computing, including machine learning libraries
- K-means clustering on electron distribution functions from the gyrokinetic code XGC1 shows distinct structure in highly turbulent regions
  - Partial ring-like structure
  - separated at higher energies near the trapped/passing boundary

# Background Slides



## *Christo and Jeanne-Claude*

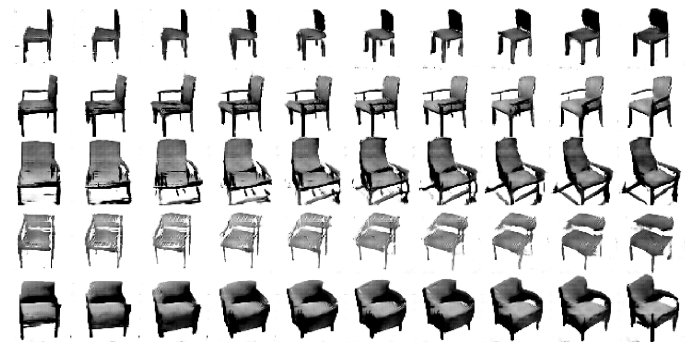
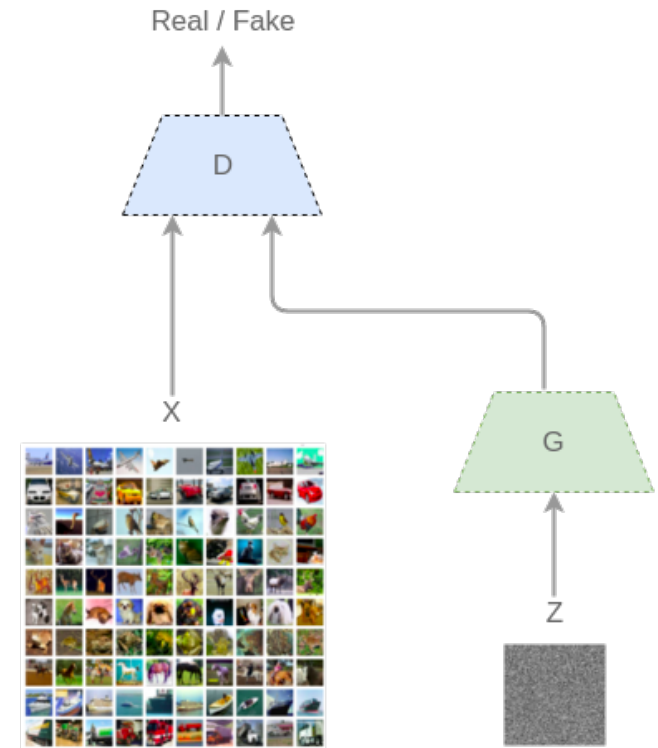
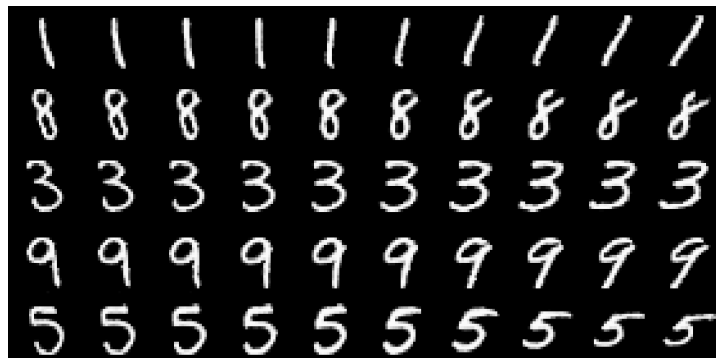
“While the intricate details of the structures are hidden, the essence of the structures are revealed all the while making the imposing and solid structure seem airy and nomadic”



# Future directions

## Generative Adversarial Networks (GANs)

- InfoGAN: Maximizes mutual information for latent variables, allows for disentangled representation [Chen, NIPS 2016]



XGC1 core  $f$  distribution functions show little velocity space variation

$f$  distribution functions from random core vertices were analyzed with K-means clustering

As expected, little variation was found

